# Package: pcaMethods (via r-universe) 

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Title A collection of PCA methods
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LazyLoad Yes
Author Wolfram Stacklies, Henning Redestig, Kevin Wright
SystemRequirements Rcpp
Description Provides Bayesian PCA, Probabilistic PCA, Nipals PCA, Inverse Non-Linear PCA and the conventional SVD PCA. A cluster based method for missing value estimation is included for comparison. BPCA, PPCA and NipalsPCA may be used to perform PCA on incomplete data as well as for accurate missing value estimation. A set of methods for printing and plotting the results is also provided. All PCA methods make use of the same data structure (pcaRes) to provide a common interface to the PCA results. Initiated at the Max-Planck Institute for Molecular Plant Physiology, Golm, Germany.
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## Description

This function can be used to conveniently replace the expression matrix in an ExpressionSet with the completed data from a pcaRes object.

## Usage

asExprSet(object, exprSet)

## Arguments

object pcaRes - The object containing the completed data.
exprSet ExpressionSet - The object passed on to pca for missing value estimation.

## Details

This is not a standard as function as pcaRes object alone not can be converted to an ExpressionSet (the pcaRes object does not hold any phenoData for example).

## Value

An object without missing values of class ExpressionSet.

## Author(s)

Wolfram Stacklies
CAS-MPG Partner Institute for Computational Biology, Shanghai, China
biplot-methods Plot a overlaid scores and loadings plot

## Description

Visualize two-components simultaneously

## Usage

\#\# S3 method for class 'pcaRes'
biplot (x, choices = 1:2, scale = 1, pc.biplot = FALSE, ...)
\#\# S4 method for signature 'pcaRes'
biplot (x, choices $=1: 2$, scale $=1$, pc.biplot $=$ FALSE, ...)

## Arguments

| x | a pcaRes object |
| :--- | :--- |
| choices | which two pcs to plot |
| scale | The variables are scaled by $\lambda^{\text {scale }}$ and the observations are scaled by $\lambda^{\text {scale }}$ <br> where lambda are the singular values as computed by princomp. Normally |
| $0 \leq$ scale $\leq 1$, and a warning will be issued if the specified 'scale' is outside |  |
| this range. |  |

## Details

This is a method for the generic function 'biplot'. There is considerable confusion over the precise definitions: those of the original paper, Gabriel (1971), are followed here. Gabriel and Odoroff (1990) use the same definitions, but their plots actually correspond to pc.biplot = TRUE.

## Value

a plot is produced on the current graphics device.

## Author(s)

Kevin Wright, Adapted from biplot.prcomp

## See Also

prcomp, pca, princomp

## Examples

```
data(iris)
pcIr <- pca(iris[,1:4])
biplot(pcIr)
```

bpca Bayesian PCA missing value estimation

## Description

Implements a Bayesian PCA missing value estimator. The script is a port of the Matlab version provided by Shigeyuki OBA. See also http://ishiilab.jp/member/oba/tools/BPCAFill.html. BPCA combines an EM approach for PCA with a Bayesian model. In standard PCA data far from the training set but close to the principal subspace may have the same reconstruction error. BPCA defines a likelihood function such that the likelihood for data far from the training set is much lower, even if they are close to the principal subspace.

## Usage

bpca(Matrix, nPcs = 2, maxSteps $=100$, verbose $=$ interactive(), threshold $=1 \mathrm{e}-04, \ldots$ )

## Arguments

Matrix matrix - Pre-processed matrix (centered, scaled) with variables in columns and observations in rows. The data may contain missing values, denoted as NA.
nPcs numeric - Number of components used for re-estimation. Choosing few components may decrease the estimation precision.
maxSteps numeric - Maximum number of estimation steps.
verbose boolean - BPCA prints the number of steps and the increase in precision if set to TRUE. Default is interactive().
threshold convergence threshold
$\ldots \quad$ Reserved for future use. Currently no further parameters are used

## Details

Scores and loadings obtained with Bayesian PCA slightly differ from those obtained with conventional PCA. This is because BPCA was developed especially for missing value estimation. The algorithm does not force orthogonality between factor loadings, as a result factor loadings are not necessarily orthogonal. However, the BPCA authors found that including an orthogonality criterion made the predictions worse.
The authors also state that the difference between real and predicted Eigenvalues becomes larger when the number of observation is smaller, because it reflects the lack of information to accurately determine true factor loadings from the limited and noisy data. As a result, weights of factors to predict missing values are not the same as with conventional PCA, but the missing value estimation is improved.
BPCA works iteratively, the complexity is growing with $O\left(n^{3}\right)$ because several matrix inversions are required. The size of the matrices to invert depends on the number of components used for re-estimation.

Finding the optimal number of components for estimation is not a trivial task; the best choice depends on the internal structure of the data. A method called kEstimate is provided to estimate the optimal number of components via cross validation. In general few components are sufficient for reasonable estimation accuracy. See also the package documentation for further discussion about on what data PCA-based missing value estimation makes sense.

It is not recommended to use this function directely but rather to use the pca() wrapper function.
There is a difference with respect the interpretation of rows (observations) and columns (variables) compared to matlab implementation. For estimation of missing values for microarray data, the suggestion in the original bpca is to intepret genes as observations and the samples as variables. In pcaMethods however, genes are interpreted as variables and samples as observations which arguably also is the more natural interpretation. For bpca behavior like in the matlab implementation, simply transpose your input matrix.

Details about the probabilistic model underlying BPCA are found in Oba et. al 2003. The algorithm uses an expectation maximation approach together with a Bayesian model to approximate the
principal axes (eigenvectors of the covariance matrix in PCA). The estimation is done iteratively, the algorithm terminates if either the maximum number of iterations was reached or if the estimated increase in precision falls below $1 e^{-4}$.
Complexity: The relatively high complexity of the method is a result of several matrix inversions required in each step. Considering the case that the maximum number of iteration steps is needed, the approximate complexity is given by the term

$$
\text { maxSteps } \cdot \text { row }_{\text {miss }} \cdot O\left(n^{3}\right)
$$

Where row $_{\text {miss }}$ is the number of rows containing missing values and $O\left(n^{3}\right)$ is the complexity for inverting a matrix of size components. Components is the number of components used for re-estimation.

## Value

Standard PCA result object used by all PCA-based methods of this package. Contains scores, loadings, data mean and more. See pcaRes for details.

## Note

Requires MASS.

## Author(s)

Wolfram Stacklies

## References

Shigeyuki Oba, Masa-aki Sato, Ichiro Takemasa, Morito Monden, Ken-ichi Matsubara and Shin Ishii. A Bayesian missing value estimation method for gene expression profile data. Bioinformatics, 19(16):2088-2096, Nov 2003.

## See Also

ppca, svdImpute, prcomp, nipalsPca, pca, pcaRes. kEstimate.

## Examples

```
## Load a sample metabolite dataset with 5\% missig values (metaboliteData)e
data(metaboliteData)
## Perform Bayesian PCA with 2 components
pc <- pca(t(metaboliteData), method="bpca", nPcs=2)
## Get the estimated principal axes (loadings)
loadings <- loadings(pc)
## Get the estimated scores
scores <- scores(pc)
## Get the estimated complete observations
cObs <- completeObs(pc)
## Now make a scores and loadings plot
slplot(pc)
```

```
BPCA_dostep Do BPCA estimation step
```


## Description

The function contains the actual implementation of the BPCA component estimation. It performs one step of the BPCA EM algorithm. It is called 'maxStep' times from within the main loop in BPCAestimate.

## Usage

BPCA_dostep(M, y)

## Arguments

M Data structure containing all needed information. See the source documentation of BPCA_initmodel for details
$y \quad$ Numeric original data matrix

## Details

This function is NOT intended to be run standalone.

## Value

Updated version of the data structure

## Author(s)

Wolfram Stacklies

```
BPCA_initmodel Initialize BPCA model
```


## Description

Model initialization for Bayesian PCA. This function is NOT inteded to be run separately!

## Usage

BPCA_initmodel(y, components)

## Arguments

y
numeric matrix containing missing values. Missing values are denoted as ' NA '
components
Number of components used for estimation

## Details

The function calculates the initial Eigenvectors by use of SVD from the complete rows. The data structure M is created and initial values are assigned.

## Value

List containing

| rows | Row number of input matrix |
| :--- | :--- |
| cols | Column number of input matrix |
| comps | Number of components to use |
| yest | (working variable) current estimate of complete data |
| row_miss | (Array) Indizes of rows containing missing values |
| row_nomiss | (Array) Indices of complete rows (such with no missing values) |
| nans | Matrix of same size as input data. TRUE if input == NA, false otherwise <br> mean |
| Column wise data mean |  |
| (dx k) Estimated principal axes (eigenvectors, loadings) The matrix ROWS are |  |
| tau | the vectors |
| scores | Estimated precision of the residual error |
|  | Estimated scores |

Further elements are: galpha0, balpha0, alpha, gmu0, btau0, gtau0, SigW. These are working variables or constants.

## Author(s)

Wolfram Stacklies

## Description

Get the centers of the original variables

## Usage

center(object, ...)

## Arguments

object pcaRes object
... Not used

## Value

Vector with the centers

Author(s)
Henning Redestig
centered, pcaRes-method
Check centering was part of the model

## Description

Check centering was part of the model

## Usage

centered(object, ...)

## Arguments

object pcaRes object
... Not used

## Value

TRUE if model was centered

## Author(s)

Henning Redestig

```
checkData

\section*{Description}

Check a given data matrix for consistency with the format required for further analysis. The data must be a numeric matrix and not contain:
- Inf values
- NaN values
- Rows or columns that consist of NA only

\section*{Usage}
checkData(data, verbose \(=\) FALSE)

\section*{Arguments}
data matrix - Data to check.
verbose boolean - If TRUE, the function prints messages whenever an error in the data set is found.

\section*{Value}
isValid boolean - TRUE if no errors were found, FALSE otherwise. isValid contains a set of attributes, these are:
- isNumeric - TRUE if data is numeric, false otherwise
- isInfinite - TRUE if data contains 'Inf' values, false otherwise
- isNaN - TRUE if data contains 'NaN' values, false otherwise
- isMatrix - TRUE if the data is in matrix format, FALSE otherwise
- naRows - TRUE if data contains rows in which all elements are 'NA', FALSE otherwise
- naCols - TRUE if data contains columns in which all elements are 'NA', FALSE otherwise

\section*{Author(s)}

Wolfram Stacklies
```

completeObs,nniRes-method

```

Get the original data with missing values replaced with predicted values.

\section*{Description}

Get the original data with missing values replaced with predicted values.

\section*{Usage}
completeObs(object, ...)

\section*{Arguments}
\[
\begin{array}{ll}
\text { object } & \text { object to fetch complete data from } \\
\ldots & \text { Not used }
\end{array}
\]

\section*{Value}

Completed data (matrix)

\section*{Author(s)}

Henning Redestig
cvseg Get CV segments

\section*{Description}

Get cross-validation segments that have (as far as possible) the same ratio of all classes (if classes are present)

\section*{Usage}
cvseg (x, fold \(=7\), seed \(=\) NULL)

\section*{Arguments}
x a factor, character or numeric vector that describes class membership of a set of items, or, a numeric vector indicating unique indices of items, or, a numeric of length 1 that describes the number of items to segment (without any classes)
fold the desired number of segments
seed randomization seed for reproducibility

\section*{Value}
a list where each element is a set of indices that defines the CV segment.

\section*{Author(s)}

Henning Redestig

\section*{See Also}
the cvsegments function in the pls package

\section*{Examples}
```

seg <- cvseg(iris$Species, 10)
sapply(seg, function(s) table(iris$Species[s]))
cvseg(20, 10)

```
cvstat, pcaRes-method Get cross-validation statistics (e.g. \(Q^{\wedge} 2\) ).

\section*{Description}

Get cross-validation statistics (e.g. \(Q^{2}\) ).

\section*{Usage}
cvstat(object, ...)

\section*{Arguments}

> object pcaRes object
... not used

\section*{Value}
vector CV statistics

\section*{Author(s)}

Henning Redestig
deletediagonals Delete diagonals

\section*{Description}

Replace a diagonal of elements of a matrix with NA

\section*{Usage}
deletediagonals(x, diagonals = 1)

\section*{Arguments}
x
diagonals

The matrix
The diagonal to be replaced, i.e. the first, second and so on when looking at the fat version of the matrix (transposed or not) counting from the bottom. Can be a vector to delete more than one diagonal.

\section*{Details}

Used for creating artifical missing values in matrices without causing any full row or column to be completely missing

\section*{Value}

The original matrix with some values missing

\section*{Author(s)}

Henning Redestig
derrorHierarchic Later

\section*{Description}

Later

\section*{Usage}
derrorHierarchic(nlnet, trainIn, trainOut)

\section*{Arguments}
\begin{tabular}{ll} 
nlnet & the nlnet \\
trainIn & training data \\
trainOut & fitted data
\end{tabular}

\section*{Value}
derror

\section*{Author(s)}

Henning Redestig, Matthias Scholz

\section*{Description}

Dimensions of a PCA model

\section*{Usage}
\#\# S3 method for class 'pcaRes'
\(\operatorname{dim}(x)\)

\section*{Arguments}
\(x \quad\) a pcaRes object

\section*{Value}

Get the dimensions of this PCA model

\section*{Author(s)}

Henning Redestig
```

DModX,pcaRes-method DModX

```

\section*{Description}

Distance to the model of X-space.

\section*{Usage}

DModX(object, dat, newdata=FALSE, type=c("normalized","absolute"), ...)

\section*{Arguments}
object
a pcaRes object
dat the original data, taken from completeObs if left missing.
newdata logical indicating if this data was part of the training data or not. If it was, it is adjusted by a near one factor \(v=(N /(N-A-A 0))^{-1}\)
type if absolute or normalized values should be given. Normalized values are adjusted to the the total RSD of the model.
.. Not used

\section*{Details}

Measures how well described the observations are, i.e. how well they fit in the mode. High DModX indicate a poor fit. Defined as:
\[
\frac{\sqrt{\frac{S S E_{i}}{K-A}}}{\sqrt{\left(N-A-A_{0}\right)(K-A)}}
\]

For observation \(i\), in a model with \(A\) components, \(K\) variables and \(N\) obserations. SSE is the squared sum of the residuals. \(A_{0}\) is 1 if model was centered and 0 otherwise. DModX is claimed to be approximately F-distributed and can therefore be used to check if an observation is significantly far away from the PCA model assuming normally distributed data.

Pass original data as an argument if the model was calculated with completeObs=FALSE.

\section*{Value}

A vector with distances from observations to the PCA model

\section*{Author(s)}

Henning Redestig

\section*{References}

Introduction to Multi- and Megavariate Data Analysis using Projection Methods (PCA and PLS), L. Eriksson, E. Johansson, N. Kettaneh-Wold and S. Wold, Umetrics 1999, p. 468

\section*{Examples}
```

data(iris)
pcIr <- pca(iris[,1:4])
with(iris, plot(DModX(pcIr)~Species))

```
errorHierarchic Later

\section*{Description}

Later

\section*{Usage}
errorHierarchic(nlnet, trainIn, trainOut)

\section*{Arguments}
\begin{tabular}{ll} 
nlnet & The nlnet \\
trainIn & training data \\
trainOut & fitted data
\end{tabular}

\section*{Value}
error

\section*{Author(s)}

Henning Redestig, Matthias Scholz

\section*{Description}

Fitted values of a PCA model

\section*{Usage}
```


## S3 method for class 'pcaRes'

fitted(object, data = NULL, nPcs = nP(object),
pre = TRUE, post = TRUE, ...)
\#\# S4 method for signature 'pcaRes'
fitted(object, data = NULL, nPcs = nP(object),
pre = TRUE, post = TRUE, ...)

```

\section*{Arguments}
\begin{tabular}{ll} 
object & the pcaRes object of interest. \\
data & \begin{tabular}{l} 
For standard PCA methods this can safely be left null to get scores x loadings \\
but if set, then the scores are obtained by projecting provided data onto the \\
loadings. If data contains missing values the result will be all NA. Non-linear \\
PCA is an exception, here if data is NULL then data is set to the completeObs \\
and propaged through the network.
\end{tabular} \\
nPcs & \begin{tabular}{l} 
The number of PC's to consider
\end{tabular} \\
pre & \begin{tabular}{l} 
pre-process data based on the pre-processing chosen for the PCA model \\
post
\end{tabular} \\
\(\ldots\) & unpre-process the final data (add the center back etc to get the final estimate)
\end{tabular}

\section*{Details}

This function extracts the fitted values from a pcaResobject. For PCA methods like SVD, Nipals, PPCA etc this is basically just the scores multipled by the loadings and adjusted for pre-processing. for non-linear PCA the original data is propagated through the network to obtain the approximated data.

\section*{Value}

A matrix representing the fitted data

\section*{Author(s)}

Henning Redestig

\section*{Examples}
```

    pc <- pca(iris[,1:4], nPcs=4, center=TRUE, scale="uv")
    ```
    sum( (fitted(pc) - iris[,1:4])^2 )
    forkNlpcaNet Complete copy of nlpca net object

\section*{Description}

Complete copy of nlpca net object

\section*{Usage}
forkNlpcaNet(nlnet)

\section*{Arguments}
nlnet a nlnet

\section*{Value}

A copy of the input nlnet

\section*{Author(s)}

Henning Redestig
getHierarchicIdx Index in hiearchy

\section*{Description}

Index in hiearchy

\section*{Usage}
getHierarchicIdx(hierarchicNum)

\section*{Arguments}
hierarchicNum A number

\section*{Value}

\section*{Author(s)}

Henning Redestig, Matthias Scholz

\section*{helix}

A helix structured toy data set

\section*{Description}

Simulated data set looking like a helix

\section*{Usage}
data(helix)

\section*{Details}

A matrix containing 1000 observations (rows) and three variables (columns).

\section*{Author(s)}

Henning Redestig

\section*{References}

Matthias Scholz, Fatma Kaplan, Charles L. Guy, Joachim Kopka and Joachim Selbig. - Non-linear PCA: a missing data approach. Bioinformatics 2005 21(20):3887-3895
```

    kEstimate Estimate best number of Components for missing value estimation
    ```

\section*{Description}

Perform cross validation to estimate the optimal number of components for missing value estimation. Cross validation is done for the complete subset of a variable.

\section*{Usage}
```

kEstimate(Matrix, method = "ppca", evalPcs = 1:3, segs = 3,
nruncv = 5, em = "q2", allVariables = FALSE,
verbose = interactive(), ...)

```

\section*{Arguments}
\begin{tabular}{ll} 
Matrix & matrix - numeric matrix containing observations in rows and variables in columns \\
method & \begin{tabular}{l} 
character - of the methods found with pcaMethods() The option llsImputeAll \\
calls llsImpute with the allVariables = TRUE parameter.
\end{tabular} \\
evalPcs & \begin{tabular}{l} 
numeric - The principal components to use for cross validation or the number \\
of neighbour variables if used with llsImpute. Should be an array containing \\
integer values, eg. evalPcs = 1:10 or evalPcs \(=\mathrm{c}(2,5,8)\). The NRMSEP or \\
Q2 is calculated for each component.
\end{tabular} \\
segs & \begin{tabular}{l} 
numeric - number of segments for cross validation
\end{tabular} \\
nruncv & \begin{tabular}{l} 
numeric - Times the whole cross validation is repeated \\
character - The error measure. This can be nrmsep or q2
\end{tabular} \\
allVariables & \begin{tabular}{l} 
boolean - If TRUE, the NRMSEP is calculated for all variables, If FALSE, only \\
the incomplete ones are included. You maybe want to do this to compare several \\
methods on a complete data set.
\end{tabular} \\
verbose & \begin{tabular}{l} 
boolean - If TRUE, some output like the variable indexes are printed to the \\
console each iteration.
\end{tabular} \\
I. & \begin{tabular}{l} 
Further arguments to pca or nni
\end{tabular}
\end{tabular}

\section*{Details}

The assumption hereby is that variables that are highly correlated in a distinct region (here the non-missing observations) are also correlated in another (here the missing observations). This also implies that the complete subset must be large enough to be representative. For each incomplete variable, the available values are divided into a user defined number of cv-segments. The segments have equal size, but are chosen from a random equal distribution. The non-missing values of the variable are covered completely. PPCA, BPCA, SVDimpute, Nipals PCA, llsImpute an NLPCA may be used for imputation.
The whole cross validation is repeated several times so, depending on the parameters, the calculations can take very long time. As error measure the NRMSEP (see Feten et. al, 2005) or the Q2 distance is used. The NRMSEP basically normalises the RMSD between original data and estimate by the variable-wise variance. The reason for this is that a higher variance will generally lead to a higher estimation error. If the number of samples is small, the variable - wise variance may become an unstable criterion and the Q2 distance should be used instead. Also if variance normalisation was applied previously.
The method proceeds variable - wise, the NRMSEP / Q2 distance is calculated for each incomplete variable and averaged afterwards. This allows to easily see for wich set of variables missing value imputation makes senes and for wich set no imputation or something like mean-imputation should be used. Use kEstimateFast or Q2 if you are not interested in variable wise CV performance estimates.

Run time may be very high on large data sets. Especially when used with complex methods like BPCA or Nipals PCA. For PPCA, BPCA, Nipals PCA and NLPCA the estimation method is called ( \(v_{\text {miss }} \cdot\) segs \(\cdot\) nruncv \(\cdot\) ) times as the error for all numbers of principal components can be calculated at once. For LLSimpute and SVDimpute this is not possible, and the method is called \(\left(v_{m i s s} \cdot\right.\) segs . nruncv • length \((\) evalPcs \()\) ) times. This should still be fast for LLSimpute because the method
allows to choose to only do the estimation for one particular variable. This saves a lot of iterations. Here, \(v_{\text {miss }}\) is the number of variables showing missing values.
As cross validation is done variable-wise, in this function Q 2 is defined on single variables, not on the entire data set. This is Q 2 is calculated as as \(\frac{\sum(x-x e)^{2}}{\sum\left(x^{2}\right)}\), where x is the currently used variable and xe it's estimate. The values are then averaged over all variables. The NRMSEP is already defined variable-wise. For a single variable it is then \(\sqrt{\left(\frac{\sum(x-x e)^{2}}{(n \cdot \operatorname{var}(x))}\right) \text {, where } \mathrm{x} \text { is the variable and }{ }^{\text {a }} \text {, }}\) xe it's estimate, \(n\) is the length of \(x\). The variable wise estimation errors are returned in parameter variableWiseError.

\section*{Value}

A list with:
\[
\begin{array}{ll}
\text { bestNPcs } & \begin{array}{l}
\text { number of PCs or } k \text { for which the minimal average NRMSEP or the maximal } \\
\text { Q2 was obtained. }
\end{array} \\
\text { eError } & \begin{array}{l}
\text { an array of of size length(evalPcs). Contains the average error of the cross vali- } \\
\text { dation runs for each number of components. }
\end{array} \\
\text { variableWiseError }
\end{array} \quad \begin{aligned}
& \text { Matrix of size incomplete_variables x length(evalPcs). Contains the NRM- } \\
& \text { SEP or Q2 distance for each variable and each number of PCs. This allows to } \\
& \text { easily see for wich variables imputation makes sense and for which one it should } \\
& \text { not be done or mean imputation should be used. }
\end{aligned}
\]

\section*{Author(s)}

Wolfram Stacklies

\section*{See Also}
kEstimateFast, Q2, pca, nni.

\section*{Examples}
```


## Load a sample metabolite dataset with 5\% missing values (metaboliteData)

data(metaboliteData)

# Do cross validation with ppca for component 2:4

esti <- kEstimate(metaboliteData, method = "ppca", evalPcs = 2:4, nruncv=1, em="nrmsep")

# Plot the average NRMSEP

barplot(drop(esti\$eError), xlab = "Components",ylab = "NRMSEP (1 iterations)")

# The best result was obtained for this number of PCs:

print(esti\$bestNPcs)

# Now have a look at the variable wise estimation error

barplot(drop(esti$variableWiseError[, which(esti$evalPcs == esti\$bestNPcs)]),
xlab = "Incomplete variable Index", ylab = "NRMSEP")

```

\section*{Description}

This is a simple estimator for the optimal number of componets when applying PCA or LLSimpute for missing value estimation. No cross validation is performed, instead the estimation quality is defined as Matrix[!missing] - Estimate[!missing]. This will give a relatively rough estimate, but the number of iterations equals the length of the parameter evalPcs.
Does not work with LLSimpute!! As error measure the NRMSEP (see Feten et. al, 2005) or the Q2 distance is used. The NRMSEP basically normalises the RMSD between original data and estimate by the variable-wise variance. The reason for this is that a higher variance will generally lead to a higher estimation error. If the number of samples is small, the gene - wise variance may become an unstable criterion and the Q2 distance should be used instead. Also if variance normalisation was applied previously.

\section*{Usage}
kEstimateFast(Matrix, method = "ppca", evalPcs = 1:3, em = "nrmsep", allVariables = FALSE, verbose = interactive(), ...)

\section*{Arguments}

Matrix matrix - numeric matrix containing observations in rows and variables in columns
method character - a valid pca method (see pca).
evalPcs numeric - The principal components to use for cross validation or cluster sizes if used with llsImpute. Should be an array containing integer values, eg. evalPcs \(=1: 10\) or evalPcs \(=\mathrm{C}(2,5,8)\). The NRMSEP is calculated for each component.
em character - The error measure. This can be nrmsep or q2
allVariables boolean - If TRUE, the NRMSEP is calculated for all variables, If FALSE, only the incomplete ones are included. You maybe want to do this to compare several methods on a complete data set.
verbose boolean - If TRUE, the NRMSEP and the variance are printed to the console each iteration.
... Further arguments to pca

\section*{Value}

Returns a list with the elements:
- minNPcs - number of PCs for which the minimal average NRMSEP was obtained
- eError - an array of of size length(evalPcs). Contains the estimation error for each number of components.
- evalPcs - The evaluated numbers of components or cluster sizes (the same as the evalPcs input parameter).

\section*{Author(s)}

Wolfram Stacklies

\section*{See Also}
kEstimate.

\section*{Examples}
```

data(metaboliteData)

# Estimate best number of PCs with ppca for component 2:4

esti <- kEstimateFast(t(metaboliteData), method = "ppca", evalPcs = 2:4, em="nrmsep")
barplot(drop(esti\$eError), xlab = "Components",ylab = "NRMSEP (1 iterations)")

# The best k value is:

print(esti\$minNPcs)

```
leverage, pcaRes-method Extract leverages of a PCA model

\section*{Description}

The leverages of PCA model indicate how much influence each observation has on the PCA model. Observations with high leverage has caused the principal components to rotate towards them. It can be used to extract both "unimportant" observations as well as picking potential outliers.

\section*{Usage}
\#\# S4 method for signature 'pcaRes'
leverage(object)

\section*{Arguments}
object a pcaRes object

\section*{Details}

Defined as \(\operatorname{Tr}\left(T\left(T^{\prime} T\right)^{-1} T^{\prime}\right)\)

\section*{Value}

The observation leverages as a numeric vector

\section*{Author(s)}

Henning Redestig

\section*{References}

Introduction to Multi- and Megavariate Data Analysis using Projection Methods (PCA and PLS), L. Eriksson, E. Johansson, N. Kettaneh-Wold and S. Wold, Umetrics 1999, p. 466

\section*{Examples}
```

data(iris)
pcIr <- pca(iris[,1:4])

## versicolor has the lowest leverage

with(iris, plot(leverage(pcIr)~Species))

```
lineSearch
Line search for conjugate gradient

\section*{Description}

Line search for conjugate gradient

\section*{Usage}
lineSearch(nlnet, dw, e0, ttGuess, trainIn, trainOut, verbose)

\section*{Arguments}
\begin{tabular}{ll} 
nlnet & The nlnet \\
\(d w\) &.. \\
e0 & .. \\
ttGuess & .. \\
trainIn & Training data \\
trainOut & Fitted data \\
verbose & logical, print messages
\end{tabular}

Value

\section*{Author(s)}

Henning Redestig, Matthias Scholz
linr Linear kernel

\section*{Description}

Linear kernel

\section*{Usage}
\(\operatorname{linr}(x)\)

\section*{Arguments}
x
datum

\section*{Value}

Input value

\section*{Author(s)}

Henning Redestig, Matthias Scholz
listPcaMethods List PCA methods

\section*{Description}

Vector with current valid PCA methods

\section*{Usage}
listPcaMethods(which = c("all", "linear", "nonlinear"))

\section*{Arguments}
which the type of methods to get. E.g. only get the PCA methods based on the classical model where the fitted data is a direct multiplication of scores and loadings.

\section*{Value}

A character vector with the current methods for doing PCA

\section*{Author(s)}

Henning Redestig

\section*{Description}

Missing value estimation using local least squares (LLS). First, k variables (for Microarrya data usually the genes) are selected by pearson, spearman or kendall correlation coefficients. Then missing values are imputed by a linear combination of the k selected variables. The optimal combination is found by LLS regression. The method was first described by Kim et al, Bioinformatics, 21(2),2005.

\section*{Usage}
llsImpute(Matrix, \(\mathrm{k}=10\), center = FALSE, completeObs = TRUE, correlation = "pearson", allVariables = FALSE, maxSteps = 100, xval \(=\) NULL, verbose \(=\) FALSE, ...)

\section*{Arguments}

Matrix matrix - Data containing the variables (genes) in columns and observations (samples) in rows. The data may contain missing values, denoted as NA.
\(\mathrm{k} \quad\) numeric - Cluster size, this is the number of similar genes used for regression.
center boolean - Mean center the data if TRUE
completeObs boolean - Return the estimated complete observations if TRUE. This is the input data with NA values replaced by the estimated values.
correlation character - How to calculate the distance between genes. One out of pearson I kendall I spearman , see also help("cor").
allVariables boolean - Use only complete genes to do the regression if TRUE, all genes if FALSE.
maxSteps numeric - Maximum number of iteration steps if allGenes = TRUE
xval numeric Use LLSimpute for cross validation. xval is the index of the gene to estimate, all other incomplete genes will be ignored if this parameter is set. We do not consider them in the cross-validation.
verbose boolean - Print step number and relative change if TRUE and allVariables = TRUE
... Reserved for parameters used in future version of the algorithm

\section*{Details}

Missing values are denoted as NA
It is not recommended to use this function directely but rather to use the nni() wrapper function. The methods provides two ways for missing value estimation, selected by the allVariables option. The first one is to use only complete variables for the regression. This is preferable when the number of incomplete variables is relatively small.

The second way is to consider all variables as candidates for the regression. Hereby missing values are initially replaced by the columns wise mean. The method then iterates, using the current estimate as input for the regression until the change between new and old estimate falls below a threshold (0.001).

\section*{Value}
nniRes Standard nni (nearest neighbour imputation) result object of this package. See nniRes for details.

\section*{Note}

Each step the generalized inverse of a miss x k matrix is calculated. Where miss is the number of missing values in variable j and k the number of neighbours. This may be slow for large values of k and / or many missing values. See also help("ginv").

\section*{Author(s)}

Wolfram Stacklies

\section*{References}

Kim, H. and Golub, G.H. and Park, H. - Missing value estimation for DNA microarray gene expression data: local least squares imputation. Bioinformatics, 2005; 21(2):187-198.

Troyanskaya O. and Cantor M. and Sherlock G. and Brown P. and Hastie T. and Tibshirani R. and Botstein D. and Altman RB. - Missing value estimation methods for DNA microarrays. Bioinformatics. 2001 Jun;17(6):520-525.

\section*{See Also}
```

pca, nniRes, nni.

```

\section*{Examples}
```


## Load a sample metabolite dataset (metaboliteData) with already 5\% of

## data missing

data(metaboliteData)

## Perform llsImpute using k = 10

## Set allVariables TRUE because there are very few complete variables

result <- llsImpute(metaboliteData, k = 10, correlation="pearson", allVariables=TRUE)

## Get the estimated complete observations

cObs <- completeObs(result)

```
loadings, ANY-method Crude way to unmask the function with the same name from stats

\section*{Description}

Crude way to unmask the function with the same name from stats

\section*{Usage}
\#\# S4 method for signature 'ANY'
loadings(object, ...)

\section*{Arguments}
\[
\begin{array}{ll}
\text { object } & \text { any object } \\
\ldots & \text { not used }
\end{array}
\]

\section*{Value}

The loadings

\section*{Author(s)}

Henning Redestig
loadings, pcaRes-method
Get loadings from a pcaRes object

\section*{Description}

Get loadings from a pcaRes object

\section*{Usage}
\#\# S4 method for signature 'pcaRes'
loadings(object, ...)

\section*{Arguments}
\[
\begin{array}{ll}
\text { object } & \text { a pcaRes object } \\
\ldots & \text { not used }
\end{array}
\]

\section*{Value}

The loadings as a matrix

\section*{Author(s)}

Henning Redestig

\section*{See Also}
loadings.pcaRes
loadings.pcaRes Get loadings from a pcaRes object

\section*{Description}

Get loadings from a pcaRes object

\section*{Usage}
\#\# S3 method for class 'pcaRes'
loadings(object, ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & a pcaRes object \\
\(\ldots\) & not used
\end{tabular}

\section*{Value}

The loadings as a matrix

\section*{Author(s)}

Henning Redestig
metaboliteData A incomplete metabolite data set from an Arabidopsis coldstress ex- periment

\section*{Description}

A incomplete subset from a larger metabolite data set. This is the original, complete data set and can be used to compare estimation results created with the also provided incomplete data (called metaboliteData).

\section*{Details}

A matrix containing 154 observations (rows) and 52 metabolites (columns). The data contains 5\% of artificially created uniformly distributed misssing values. The data was created during an in house Arabidopsis coldstress experiment.

\section*{Author(s)}

Wolfram Stacklies

\section*{References}

Matthias Scholz, Fatma Kaplan, Charles L. Guy, Joachim Kopka and Joachim Selbig. - Non-linear PCA: a missing data approach.Bioinformatics 2005 21(20):3887-3895

\section*{See Also}
metaboliteDataComplete
```

metaboliteDataComplete

```

A complete metabolite data set from an Arabidopsis coldstress experiment

\section*{Description}

A complete subset from a larger metabolite data set. This is the original, complete data set and can be used to compare estimation results created with the also provided incomplete data (called metaboliteData). The data was created during an in house Arabidopsis coldstress experiment.

\section*{Details}

A matrix containing 154 observations (rows) and 52 metabolites (columns).

\section*{Author(s)}

Wolfram Stacklies

\section*{References}

Matthias Scholz, Fatma Kaplan, Charles L. Guy, Joachim Kopka and Joachim Selbig. - Non-linear PCA: a missing data approach.Bioinformatics 2005 21(20):3887-3895

\section*{See Also}
metaboliteData
```

method, pcaRes-method Get the used PCA method

```

\section*{Description}

Get the used PCA method

\section*{Usage}
method(object, ...)

\section*{Arguments}

> object pcaRes object
... Not used

\section*{Value}

The used pca method

\section*{Author(s)}

Henning Redestig
```

nipalsPca NIPALS PCA

```

\section*{Description}

PCA by non-linear iterative partial least squares

\section*{Usage}
nipalsPca(Matrix, nPcs \(=2\), varLimit \(=1\), maxSteps \(=5000\), threshold \(=1 \mathrm{e}-06, \ldots\) )

\section*{Arguments}

Matrix Pre-processed (centered, scaled) numerical matrix samples in rows and variables as columns.
nPcs Number of components that should be extracted.
varLimit Optionally the ratio of variance that should be explained. nPcs is ignored if varLimit < 1
maxSteps Defines how many iterations can be done before algorithm should abort (happens almost exclusively when there were some wrong in the input data).
threshold The limit condition for judging if the algorithm has converged or not, specifically if a new iteration is done if \(\left(T_{\text {old }}-T\right)^{T}\left(T_{\text {old }}-T\right)>\) limit.
... Only used for passing through arguments.

\section*{Details}

Can be used for computing PCA on a numeric matrix using either the NIPALS algorithm which is an iterative approach for estimating the principal components extracting them one at a time. NIPALS can handle a small amount of missing values. It is not recommended to use this function directely but rather to use the pca() wrapper function.

\section*{Value}

A pcaRes object.

\section*{Author(s)}

Henning Redestig

\section*{References}

Wold, H. (1966) Estimation of principal components and related models by iterative least squares. In Multivariate Analysis (Ed., P.R. Krishnaiah), Academic Press, NY, 391-420.

\section*{See Also}
prcomp, princomp, pca

\section*{Examples}
```

data(metaboliteData)
mat <- prep(t(metaboliteData))
pc <- nipalsPca(mat, nPcs=2)

## better use pca()

pc <- pca(t(metaboliteData), method="nipals", nPcs=2)

```
nlpca Non-linear PCA

\section*{Description}

Neural network based non-linear PCA

\section*{Usage}
nlpca(Matrix, \(n P c s=2, \operatorname{maxSteps}=2 * \operatorname{prod}(\operatorname{dim}(M a t r i x))\), unitsPerLayer = NULL, functionsPerLayer = NULL, weightDecay \(=0.001\), weights \(=\) NULL, verbose \(=\) interactive(), ...)

\section*{Arguments}

Matrix matrix - Preprocessed data with the variables in columns and observations in rows. The data may contain missing values, denoted as NA
nPcs numeric - Number of components to estimate. The preciseness of the missing value estimation depends on thenumber of components, which should resemble the internal structure of the data.
maxSteps numeric - Number of estimation steps. Default is based on a generous rule of thumb.
unitsPerLayer The network units, example: \(c(2,4,6)\) for two input units 2feature units (principal components), one hidden layer fornon-linearity and three output units (original amount ofvariables).
functionsPerLayer
The function to apply at each layer eg. c("linr", "tanh", "linr")
weightDecay \(\quad\) Value between 0 and 1.
weights Starting weights for the network. Defaults to uniform random values but can be set specifically to make algorithm deterministic.
verbose boolean - nlpca prints the number of steps and warning messages if set to TRUE. Default is interactive().
\(\ldots \quad\) Reserved for future use. Not passed on anywhere.

\section*{Details}

Artificial Neural Network (MLP) for performing non-linear PCA. Non-linear PCA is conceptually similar to classical PCA but theoretically quite different. Instead of simply decomposing our matrix \((\mathrm{X})\) to scores \((\mathrm{T})\) loadings \((\mathrm{P})\) and an error ( E ) we train a neural network (our loadings) to find a curve through the multidimensional space of \(X\) that describes a much variance as possible. Classical ways of interpreting PCA results are thus not applicable to NLPCA since the loadings are hidden in the network. However, the scores of components that lead to low cross-validation errors can still be interpreted via the score plot. Unfortunately this method depend on slow iterations which currently are implemented in R only making this method extremely slow. Furthermore, the algorithm does not by itself decide when it has converged but simply does 'maxSteps' iterations.

\section*{Value}

Standard PCA result object used by all PCA-basedmethods of this package. Contains scores, loadings, data meanand more. See pcaRes for details.

\section*{Author(s)}

Based on a matlab script by Matthias Scholz and ported to R by Henning Redestig

\section*{References}

Matthias Scholz, Fatma Kaplan, Charles L Guy, Joachim Kopkaand Joachim Selbig. Non-linear PCA: a missing data approach. Bioinformatics, 21(20):3887-3895, Oct 2005

\section*{Examples}
```


## Data set with three variables where data points constitute a helix

data(helix)
helixNA <- helix

## not a single complete observation

helixNA <- t(apply(helix, 1, function(x) { x[sample(1:3, 1)] <- NA; x}))

## 50 steps is not enough, for good estimation use 1000

helixNlPca <- pca(helixNA, nPcs=1, method="nlpca", maxSteps=50)
fittedData <- fitted(helixNlPca, helixNA)
plot(fittedData[which(is.na(helixNA))], helix[which(is.na(helixNA))])

## compared to solution by Nipals PCA which cannot extract non-linear patterns

helixNipPca <- pca(helixNA, nPcs=2)
fittedData <- fitted(helixNipPca)
plot(fittedData[which(is.na(helixNA))], helix[which(is.na(helixNA))])

```
nmissing, pcaRes-method
Missing values

\section*{Description}

Missing values

\section*{Usage}
nmissing(object, ...)

\section*{Arguments}
object pcaRes object
... Not used

\section*{Value}

Get the number of missing values

\section*{Author(s)}

Henning Redestig
nni \(\quad\) Nearest neighbour imputation

\section*{Description}

Wrapper function for imputation methods based on nearest neighbour clustering. Currently llsImpute only.

\section*{Usage}
nni(object, method \(=c(" l l s I m p u t e "), ~ s u b s e t=n u m e r i c(), \ldots)\)

\section*{Arguments}
object Numerical matrix with (or an object coercible to such) with samples in rows and variables as columns. Also takes ExpressionSet in which case the transposed expression matrix is used.
method For convenience one can pass a large matrix but only use the variable specified as subset. Can be colnames or indices.
subset Currently "llsImpute" only.
... Further arguments to the chosen method.

\section*{Details}

This method is wrapper function to llsImpute, See documentation for link\{llsImpute\}.

\section*{Value}

A clusterRes object. Or a list containing a clusterRes object as first and an ExpressionSet object as second entry if the input was of type ExpressionSet.

\section*{Author(s)}

Wolfram Stacklies

See Also
llsImpute, pca

\section*{Examples}
```

data(metaboliteData)
llsRes <- nni(metaboliteData, k=6, method="llsImpute", allGenes=TRUE)

```

\section*{Description}

This is a class representation of nearest neighbour imputation (nni) result

\section*{Details}

Creating Objects
new("nniRes", completeObs=[the estimated complete observations], k=[cluster size], nObs=[amount of observations], nVar=[amount of variables], centered=[was the data centered befor running LLSimpute], center=[original means], method=[method used to perform clustering], missing=[amount of NAs])

\section*{Slots}
completeObs "matrix", the estimated complete observations
nObs "numeric", amount of observations
nVar "numeric", amount of variables
correlation "character", the correlation method used (pearson, kendall or spearman)
centered "logical", data was centered or not
center "numeric", the original variable centers
k "numeric", cluster size
method "character", the method used to perform the clustering
missing "numeric", the total amount of missing values in original data

Methods
print Print function

\section*{Author(s)}

Wolfram Stacklies

\section*{Description}

Get the number of observations used to build the PCA model.

\section*{Usage}
nObs(object, ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & pcaRes object \\
\(\ldots\) & Not used
\end{tabular}

\section*{Value}

Number of observations

\section*{Author(s)}

Henning Redestig
```

nP,pcaRes-method Get number of PCs

```

\section*{Description}

Get number of PCs

\section*{Usage}
nP(object, ...)

\section*{Arguments}
object pcaRes object
... not used

\section*{Value}

Number of PCs

\section*{Author(s)}

Henning Redestig

\section*{Description}

Get number of PCs.

\section*{Usage}
nPcs(object, ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & pcaRes object \\
\(\ldots\) & not used
\end{tabular}

\section*{Value}

Number of PCs

\section*{Note}

Try to use link\{nP\} instead since nPcs tend to clash with argument names.

\section*{Author(s)}

Henning Redestig
nVar, pcaRes-method Get the number of variables used to build the PCA model.

\section*{Description}

Get the number of variables used to build the PCA model.

\section*{Usage}
nVar (object, ...)

\section*{Arguments}
\[
\begin{array}{ll}
\text { object } & \text { pcaRes object } \\
\ldots & \text { Not used }
\end{array}
\]

\section*{Value}

Number of variables

\section*{Author(s)}

Henning Redestig
optiAlgCgd Conjugate gradient optimization

\section*{Description}

\section*{Conjugate gradient optimization}

\section*{Usage}
optiAlgCgd(nlnet, trainIn, trainOut, verbose = FALSE)

\section*{Arguments}
\begin{tabular}{ll} 
nlnet & The nlnet \\
trainIn & Training data \\
trainOut & fitted data \\
verbose & logical, print messages
\end{tabular}

\section*{Value}

\section*{Author(s)}

Henning Redestig, Matthias Scholz
```

orth Calculate an orthonormal basis

```

\section*{Description}
\(\mathrm{ONB}=\operatorname{orth}(\) mat \()\) is an orthonormal basis for the range of matrix mat. That is, \(\mathrm{ONB}{ }^{\prime} * \mathrm{ONB}=\mathrm{I}\), the columns of ONB span the same space as the columns of mat, and the number of columns of ONB is the rank of mat.

\section*{Usage}
orth(mat, skipInac = FALSE)

\section*{Arguments}
mat matrix to calculate orthonormal base
skipInac do not include components with precision below .Machine\$double.eps if TRUE

\section*{Value}
orthonormal basis for the range of matrix

\section*{Author(s)}

Wolfram Stacklies
\begin{tabular}{ll}
\hline pca \(\quad\) Perform principal component analysis \\
\hline
\end{tabular}

\section*{Description}

Perform PCA on a numeric matrix for visualisation, information extraction and missing value imputation.

\section*{Usage}
```

pca(object, method, nPcs = 2, scale = c("none", "pareto", "vector",
"uv"), center = TRUE, completeObs = TRUE, subset = NULL,
cv = c("none", "q2"), ...)

```

\section*{Arguments}
\begin{tabular}{ll} 
object & \begin{tabular}{l} 
Numerical matrix with (or an object coercible to such) with samples in rows and \\
variables as columns. Also takes ExpressionSet in which case the transposed \\
expression matrix is used. Can also be a data frame in which case all numberic \\
variables are used to fit the PCA.
\end{tabular} \\
method & \begin{tabular}{l} 
One of the methods reported by listPcaMethods(). Can be left missing in \\
which case the svd PCA is chosen for data wihout missing values and nipalsPca \\
for data with missing values
\end{tabular} \\
nPcs & \begin{tabular}{l} 
Number of principal components to calculate.
\end{tabular} \\
scale & \begin{tabular}{l} 
Scaling, see prep.
\end{tabular} \\
center & \begin{tabular}{l} 
Centering, see prep.
\end{tabular} \\
completeObs & \begin{tabular}{l} 
Sets the completeObs slot on the resulting pcaRes object containing the original \\
data with but with all NAs replaced with the estimates.
\end{tabular} \\
subset & \begin{tabular}{l} 
A subset of variables to use for calculating the model. Can be column names or \\
indices.
\end{tabular} \\
cv & \begin{tabular}{l} 
character naming a the type of cross-validation to be performed.
\end{tabular} \\
\(\ldots\) & Arguments to prep, the chosen pca method and Q2.
\end{tabular}

\section*{Details}

This method is wrapper function for the following set of pca methods:
svd: Uses classical prcomp. See documentation for svdPca.
nipals: An iterative method capable of handling small amounts of missing values. See documentation for nipalsPca.
rnipals: Same as nipals but implemented in R .
bpca: An iterative method using a Bayesian model to handle missing values. See documentation for bpca.
ppca: An iterative method using a probabilistic model to handle missing values. See documentation for ppca.
svdImpute: Uses expectation maximation to perform SVD PCA on incomplete data. See documentation for svdImpute.

Scaling and centering is part of the PCA model and handled by prep.

\section*{Value}

A pcaRes object.

\section*{Author(s)}

Wolfram Stacklies, Henning Redestig

\section*{References}

Wold, H. (1966) Estimation of principal components and related models by iterative least squares. In Multivariate Analysis (Ed., P.R. Krishnaiah), Academic Press, NY, 391-420.
Shigeyuki Oba, Masa-aki Sato, Ichiro Takemasa, Morito Monden, Ken-ichi Matsubara and Shin Ishii. A Bayesian missing value estimation method for gene expression profile data. Bioinformatics, 19(16):2088-2096, Nov 2003.

Troyanskaya O. and Cantor M. and Sherlock G. and Brown P. and Hastie T. and Tibshirani R. and Botstein D. and Altman RB. - Missing value estimation methods for DNA microarrays. Bioinformatics. 2001 Jun;17(6):520-5.

\section*{See Also}
prcomp, princomp, nipalsPca, svdPca

\section*{Examples}
```

data(iris)

## Usually some kind of scaling is appropriate

pcIr <- pca(iris, method="svd", nPcs=2)
pcIr <- pca(iris, method="nipals", nPcs=3, cv="q2")

## Get a short summary on the calculated model

summary(pcIr)
plot(pcIr)

## Scores and loadings plot

slplot(pcIr, sl=as.character(iris[,5]))

## use an expressionset and ggplot

data(sample.ExpressionSet)
pc <- pca(sample.ExpressionSet)
df <- merge(scores(pc), pData(sample.ExpressionSet), by=0)
library(ggplot2)
ggplot(df, aes(PC1, PC2, shape=sex, color=type)) +
geom_point() +
xlab(paste("PC1", pc@R2[1] * 100, "% of the variance")) +
ylab(paste("PC2", pc@R2[2] * 100, "% of the variance"))

```
pcaMethods pcaMethods

\section*{Description}

Principal Component Analysis in R

\section*{Details}
\begin{tabular}{ll} 
Package: & pcaMethods \\
Type: & Package \\
Developed since: & 2006 \\
License: & GPL \((>=3)\) \\
LazyLoad: & yes
\end{tabular}

Provides Bayesian PCA, Probabilistic PCA, Nipals PCA, Inverse Non-Linear PCA and the conventional SVD PCA. A cluster based method for missing value estimation is included for comparison. BPCA, PPCA and NipalsPCA may be used to perform PCA on incomplete data as well as for accurate missing value estimation. A set of methods for printing and plotting the results is also provided. All PCA methods make use of the same data structure (pcaRes) to provide a unique interface to the PCA results. Developed at the Max-Planck Institute for Molecular Plant Physiology, Golm, Germany, RIKEN Plant Science Center Yokohama, Japan, and CAS-MPG Partner Institute for Computational Biology (PICB) Shanghai, P.R. China

\section*{Author(s)}

Wolfram Stacklies, Henning Redestig
pcaMethods-deprecated Deprecated methods for pcaMethods

\section*{Description}
plotR2 Lack of relevance for this plot and the fact that it can not show cross-validation based diagnostics in the same plot makes it redundant with the introduction of a dedicated plot function for pcaRes. The new plot only shows R2cum but the result is pretty much the same.

\section*{Author(s)}

Henning Redestig
pcaNet Class representation of the NLPCA neural net

\section*{Description}

This is a class representation of a non-linear PCA neural network. The nlpcaNet class is not meant for user-level usage.

\section*{Details}

Creating Objects
new("nlpcaNet", net=[the network structure], hierarchic=[hierarchic design], fct=[the functions at each layer], \(f k t=\) [the functions used for forward propagation], weightDecay=[incremental
decrease of weight changes over iterations (between 0 and 1)], featureSorting=[sort features
or not], dataDist=[represents the present values], inverse=[net is inverse mode or not],
fCount=[amount of times features were sorted], componentLayer=[which layer is the 'bottleneck'
(principal components)], erro=[the used error function], gradient=[the used gradient method], weights=[the present weights], maxIter=[the amount of iterations that was done], scalingFactor=[the scale of the original matrix])

\section*{Slots}
net "matrix", matrix showing the representation of the neural network, e.g. \((2,4,6)\) for a network with two features, a hidden layer and six output neurons (original variables).
hierarchic "list", the hierarchic design of the network, holds 'idx' (), 'var' () and layer (which layer is the principal component layer).
fct "character", a vector naming the functions that will be applied on each layer. "linr" is linear (i.e.) standard matrix products and "tanh" means that the arcus tangens is applied on the result of the matrix product (for non-linearity).
fkt "character", same as fct but the functions used during back propagation.
weightDecay "numeric", the value that is used to incrementally decrease the weight changes to ensure convergence.
featureSorting "logical", indicates if features will be sorted or not. This is used to make the NLPCA assume properties closer to those of standard PCA were the first component is more important for reconstructing the data than the second component.
dataDist "matrix", a matrix of ones and zeroes indicating which values will add to the errror.
inverse "logical", network is inverse mode (currently only inverse is supported) or not. Eg. the case when we have truly missing values and wish to impute them.
fCount "integer", Counter for the amount of times features were really sorted.
componentLayer "numeric", the index of 'net' that is the component layer.
error "function", the used error function. Currently only one is provided errorHierarchic.
gradient "function", the used gradient function. Currently only one is provided derrorHierarchic
weights "list", A list holding managements of the weights. The list has two functions, weights\$current() and weights\$set() which access a matrix in the local environment of this object.
maxIter "integer", the amount of iterations used to train this network.
scalingFactor "numeric", training the network is best made with 'small' values so the original data is scaled down to a suitable range by division with this number.

Methods
vector2matrices Returns the weights in a matrix representation.

\section*{Author(s)}

Henning Redestig

\author{
See Also \\ > nlpca
}

Class for representing a PCA result

\section*{Description}

This is a class representation of a PCA result

\section*{Details}

\section*{Creating Objects}
new("pcaRes", scores=[the scores], loadings=[the loadings], nPcs=[amount of PCs], R2cum=[cumulative
R2], nObs=[amount of observations], nVar=[amount of variables], R2=[R2 for each individual
PC], sDev=[stdev for each individual PC], centered=[was data centered], center=[original means], varLimit=[what variance limit was exceeded], method=[method used to calculate
PCA], missing=[amount of NAs], completeObs=[estimated complete observations])

\section*{Slots}
scores "matrix", the calculated scores
loadings "matrix", the calculated loadings
R2cum "numeric", the cumulative R2 values
sDev "numeric", the individual standard deviations of the score vectors
\(\mathbf{R 2}\) "numeric", the individual R2 values
cvstat "numeric", cross-validation statistics
nObs "numeric", number of observations
nVar "numeric", number of variables
centered "logical", data was centered or not
center "numeric", the original variable centers
scaled "logical", data was scaled or not
scl "numeric", the original variable scales
varLimit "numeric", the exceeded variance limit
\(\mathbf{n P c s}, \mathbf{n P}\) "numeric", the number of calculated PCs
method "character", the method used to perform PCA
missing "numeric", the total amount of missing values in original data
completeObs "matrix", the estimated complete observations
network "nlpcaNet", the network used by non-linear PCA
Methods (not necessarily exhaustive)
print Print function
summary Extract information about PC relevance
screeplot Plot a barplot of standard deviations for PCs
slplot Make a side by side score and loadings plot
nPcs Get the number of PCs
nObs Get the number of observations
cvstat Cross-validation statistics
nVar Get the number of variables
loadings Get the loadings
scores Get the scores
\(\mathbf{d i m}\) Get the dimensions (number of observations, number of features)
centered Get a logical indicating if centering was done as part of the model
center Get the averages of the original variables.
completeObs Get the imputed data set
method Get a string naming the used PCA method
sDev Get the standard deviations of the PCs
scaled Get a logical indicating if scaling was done as part of the model
scl Get the scales of the original variablesb
R2cum Get the cumulative R2

\section*{Author(s)}

Henning Redestig
plot.pcaRes Plot diagnostics (screeplot)

\section*{Description}

Plot the computed diagnostics of PCA model to get an idea of their importance. Note though that the standard screeplot shows the standard deviations for the PCs this method shows the R2 values which empirically shows the importance of the P's and is thus applicable for any PCA method rather than just SVD based PCA.

\section*{Usage}
```


## S3 method for class 'pcaRes'

plot(x, y = NULL, main = deparse(substitute(object)),
col = gray(c(0.9, 0.5)), ...)

```

\section*{Arguments}
\begin{tabular}{ll}
\(x\) & pcaRes The pcaRes object. \\
\(y\) & not used \\
main & title of the plot \\
col & Colors of the bars \\
\(\ldots\) & further arguments to barplot
\end{tabular}

\section*{Details}

If cross-validation was done for the PCA the plot will also show the CV based statistics. A common rule-of-thumb for determining the optimal number of PCs is the PC where the CV diagnostic is at its maximum but not very far from \(R^{2}\).

\section*{Value}

None, used for side effect.

\section*{Author(s)}

Henning Redestig

\section*{See Also}
screeplot

\section*{Examples}
```

data(metaboliteData)
pc <- pca(t(metaboliteData), nPcs=5, cv="q2", scale="uv")
plot(pc)

```
plotPcs

Plot many side by side scores XOR loadings plots

\section*{Description}

A function that can be used to visualise many PCs plotted against each other

\section*{Usage}
```

plotPcs(object, pcs = 1:nP(object), type = c("scores", "loadings"),

```
    sl \(=\) NULL, hotelling \(=0.95, \ldots\) )

\section*{Arguments}
object pcaRes a pcaRes object
pcs numeric which pcs to plot
type character Either "scores" or "loadings" for scores or loadings plot respectively
sl character Text labels to plot instead of a point, if NULL points are plotted instead of text
hotelling numeric Significance level for the confidence ellipse. NULL means that no ellipse is drawn.
.. Further arguments to pairs on which this function is based.

\section*{Details}

Uses pairs to provide side-by-side plots. Note that this function only plots scores or loadings but not both in the same plot.

\section*{Value}

None, used for side effect.

\section*{Author(s)}

Henning Redestig

\section*{See Also}
prcomp, pca, princomp, slplot

\section*{Examples}
```

data(iris)
pcIr <- pca(iris[,1:4], nPcs=3, method="svd")
plotPcs(pcIr, col=as.integer(iris[,4]) + 1)

```
ppca Probabilistic PCA

\section*{Description}

Implementation of probabilistic PCA (PPCA). PPCA allows to perform PCA on incomplete data and may be used for missing value estimation. This script was implemented after the Matlab version provided by Jakob Verbeek ( see http://lear.inrialpes.fr/~verbeek/) and the draft "EM Algorithms for PCA and Sensible PCA" written by Sam Roweis.

\section*{Usage}
ppca(Matrix, nPcs \(=2\), seed \(=\) NA, threshold \(=1 \mathrm{e}-05\), maxIterations = 1000, ...)

\section*{Arguments}

Matrix matrix - Data containing the variables in columns and observations in rows. The data may contain missing values, denoted as NA.
nPcs numeric - Number of components to estimate. The preciseness of the missing value estimation depends on the number of components, which should resemble the internal structure of the data.
seed numeric Set the seed for the random number generator. PPCA creates fills the initial loading matrix with random numbers chosen from a normal distribution. Thus results may vary slightly. Set the seed for exact reproduction of your results.
threshold Convergence threshold.
maxIterations the maximum number of allowed iterations
Reserved for future use. Currently no further parameters are used.

\section*{Details}

Probabilistic PCA combines an EM approach for PCA with a probabilistic model. The EM approach is based on the assumption that the latent variables as well as the noise are normal distributed.

In standard PCA data which is far from the training set but close to the principal subspace may have the same reconstruction error. PPCA defines a likelihood function such that the likelihood for data far from the training set is much lower, even if they are close to the principal subspace. This allows to improve the estimation accuracy.
A method called kEstimate is provided to estimate the optimal number of components via cross validation. In general few components are sufficient for reasonable estimation accuracy. See also the package documentation for further discussion on what kind of data PCA-based missing value estimation is advisable.

\section*{Complexity:}

Runtime is linear in the number of data, number of data dimensions and number of principal components.
Convergence: The threshold indicating convergence was changed from 1e-3 in 1.2.x to \(1 e-5\) in the current version leading to more stable results. For reproducability you can set the seed (parameter seed) of the random number generator. If used for missing value estimation, results may be checked by simply running the algorithm several times with changing seed, if the estimated values show little variance the algorithm converged well.

\section*{Value}

Standard PCA result object used by all PCA-based methods of this package. Contains scores, loadings, data mean and more. See pcaRes for details.

\section*{Note}

Requires MASS. It is not recommended to use this function directely but rather to use the pca() wrapper function.

\section*{Author(s)}

Wolfram Stacklies

\section*{See Also}
bpca, svdImpute, prcomp, nipalsPca, pca, pcaRes.

\section*{Examples}
```


## Load a sample metabolite dataset with 5\% missing values (metaboliteData)

data(metaboliteData)

## Perform probabilistic PCA using the 3 largest components

result <- pca(t(metaboliteData), method="ppca", nPcs=3, seed=123)

## Get the estimated complete observations

cObs <- completeObs(result)

## Plot the scores

plotPcs(result, type = "scores")

```
```

predict-methods Predict values from PCA.

```

\section*{Description}

Predict data using PCA model

\section*{Usage}
```


## S3 method for class 'pcaRes'

predict(object, newdata, pcs = nP(object), pre = TRUE,
post = TRUE, ...)

## S4 method for signature 'pcaRes'

predict(object, newdata, pcs = nP(object),
pre = TRUE, post = TRUE, ...)

```

\section*{Arguments}
object pcaRes the pcaRes object of interest.
newdata matrix new data with same number of columns as the used to compute object.
pcs numeric The number of PC's to consider
pre pre-process newdata based on the pre-processing chosen for the PCA model
post unpre-process the final data (add the center back etc)
... Not passed on anywhere, included for S3 consistency.

\section*{Details}

This function extracts the predict values from a pcaRes object for the PCA methods SVD, Nipals, PPCA and BPCA. Newdata is first centered if the PCA model was and then scores \((T)\) and data \((X)\) is 'predicted' according to \(: \hat{T}=X_{\text {new }} P \hat{X}_{n e w}=\hat{T} P^{\prime}\). Missing values are set to zero before matrix multiplication to achieve NIPALS like treatment of missing values.

\section*{Value}

A list with the following components:
scores The predicted scores
x
The predicted data

\section*{Author(s)}

Henning Redestig

\section*{Examples}
```

data(iris)
hidden <- sample(nrow(iris), 50)
pcIr <- pca(iris[-hidden,1:4])
pcFull <- pca(iris[,1:4])
irisHat <- predict(pcIr, iris[hidden,1:4])
cor(irisHat\$scores[,1], scores(pcFull)[hidden,1])

```
```

prep Pre-process a matrix for PCA

```

\section*{Description}

Scaling and centering a matrix.

\section*{Usage}
```

prep(object, scale = c("none", "pareto", "vector", "uv"),
center = TRUE, eps = 1e-12, simple = TRUE, reverse = FALSE, ...)

```

\section*{Arguments}
object Numerical matrix (or an object coercible to such) with samples in rows and variables as columns. Also takes ExpressionSet in which case the transposed expression matrix is used.
scale \(\quad\) One of "UV" (unit variance \(a=a / \sigma_{a}\) ) "vector" (vector normalisation \(b=\) \(b /\|b\|)\), "pareto" (sqrt UV) or "none" to indicate which scaling should be used to scale the matrix with \(a\) variables and \(b\) samples. Can also be a vector of scales which should be used to scale the matrix. NULL value is interpreted as "none".
\begin{tabular}{ll} 
center & \begin{tabular}{l} 
Either a logical which indicates if the matrix should be mean centred or not, or \\
a vector with averages which should be suntracted from the matrix. NULL value \\
is interpreted as FALSE
\end{tabular} \\
eps & \begin{tabular}{l} 
Minimum variance, variable with lower variance are not scaled and warning is \\
issued instead.
\end{tabular} \\
simple & \begin{tabular}{l} 
Logical indicating if only the data should be returned or a list with the pre- \\
processing statistics as well.
\end{tabular} \\
reverse & \begin{tabular}{l} 
Logical indicating if matrix should be 'post-processed' instead by multiplying \\
each column with its scale and adding the center. In this case, center and scale \\
should be vectors with the statistics (no warning is issued if not, instead output \\
becomes the same as input).
\end{tabular}
\end{tabular}
... Only used for passing through arguments.

\section*{Details}

Does basically the same as scale but adds some alternative scaling options and functionality for treating pre-processing as part of a model.

\section*{Value}

A pre-processed matrix or a list with
\begin{tabular}{ll} 
center & a vector with the estimated centers \\
scale & a vector with the estimated scales \\
data & the pre (or post) processed data
\end{tabular}

\section*{Author(s)}

Henning Redestig

\section*{Examples}
```

object <- matrix(rnorm(50), nrow=10)
res <- prep(object, scale="uv", center=TRUE, simple=FALSE)
obj <- prep(object, scale=res$scale, center=res$center)

## same as original

sum((object - prep(obj, scale=res$scale, center=res$center, rev=TRUE))^2)

```
```

Q2
Cross-validation for PCA

```

\section*{Description}

Internal cross-validation can be used for estimating the level of structure in a data set and to optimise the choice of number of principal components.

\section*{Usage}

Q2(object, originalData \(=\) completeObs(object), fold \(=5\), nruncv \(=1\), type = c("krzanowski", "impute"), verbose = interactive(), variables = 1:nVar(object), ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & A pcaRes object (result from previous PCA analysis.) \\
originalData & The matrix (or ExpressionSet) that used to obtain the pcaRes object. \\
fold & The number of groups to divide the data in. \\
nruncv & The number of times to repeat the whole cross-validation \\
type & krzanowski or imputation type cross-validation \\
verbose & boolean If TRUE Q2 outputs a primitive progress bar. \\
variables & \begin{tabular}{l} 
indices of the variables to use during cross-validation calculation. Other vari- \\
ables are kept as they are and do not contribute to the total sum-of-squares.
\end{tabular} \\
\(\ldots\) & Further arguments passed to the pca function called within Q2.
\end{tabular}

\section*{Details}

This method calculates \(Q^{2}\) for a PCA model. This is the cross-validated version of \(R^{2}\) and can be interpreted as the ratio of variance that can be predicted independently by the PCA model. Poor (low) \(Q^{2}\) indicates that the PCA model only describes noise and that the model is unrelated to the true data structure. The definition of \(Q^{2}\) is:
\[
Q^{2}=1-\frac{\sum_{i}^{k} \sum_{j}^{n}(x-\hat{x})^{2}}{\sum_{i}^{k} \sum_{j}^{n} x^{2}}
\]
for the matrix \(x\) which has \(n\) rows and \(k\) columns. For a given number of PC's x is estimated as \(\hat{x}=T P^{\prime}\) ( T are scores and P are loadings). Although this defines the leave-one-out crossvalidation this is not what is performed if fold is less than the number of rows and/or columns. In 'impute' type CV, diagonal rows of elements in the matrix are deleted and the re-estimated. In 'krzanowski' type CV, rows are sequentially left out to build fold PCA models which give the loadings. Then, columns are sequentially left out to build fold models for scores. By combining scores and loadings from different models, we can estimate completely left out values. The two types may seem similar but can give very different results, krzanowski typically yields more stable and reliable result for estimating data structure whereas impute is better for evaluating missing value imputation performance. Note that since Krzanowski CV operates on a reduced matrix, it is not possible estimate Q 2 for all components and the result vector may therefore be shorter than nPcs (object).

\section*{Value}

A matrix or vector with \(Q^{2}\) estimates.

\section*{Author(s)}

Henning Redestig, Ondrej Mikula

\section*{References}

Krzanowski, WJ. Cross-validation in principal component analysis. Biometrics. 1987(43):3,575584

\section*{Examples}
```

data(iris)
x <- iris[,1:4]
pcIr <- pca(x, nPcs=3)
q2 <- Q2(pcIr, x)
barplot(q2, main="Krzanowski CV", xlab="Number of PCs", ylab=expression(Q^2))

## q2 for a single variable

Q2(pcIr, x, variables=2)
pcIr <- pca(x, nPcs=3, method="nipals")
q2 <- Q2(pcIr, x, type="impute")
barplot(q2, main="Imputation CV", xlab="Number of PCs", ylab=expression(Q^2))

```

R2cum, pcaRes-method Cumulative R 2 is the total ratio of variance that is being explained by the model

\section*{Description}

Cumulative R 2 is the total ratio of variance that is being explained by the model

\section*{Usage}
```


## S4 method for signature 'pcaRes'

R2cum(object, ...)

```

\section*{Arguments}
\begin{tabular}{ll} 
object & a pcaRes model \\
\(\ldots\) & Not used
\end{tabular}

\section*{Value}

Get the cumulative R2

\section*{Author(s)}

Henning Redestig

\section*{Description}

Flexible calculation of R2 goodness of fit.

\section*{Usage}
```


## S4 method for signature 'pcaRes'

R2VX(object, direction = c("variables",
"observations", "complete"), data = completeObs(object),
pcs = nP(object))

```

\section*{Arguments}
\begin{tabular}{ll} 
object & a PCA model object \\
direction & \begin{tabular}{l} 
choose between calculating R2 per variable, per observation or for the entire \\
data with 'variables', 'observations' or 'complete'.
\end{tabular} \\
data & the data used to fit the model \\
pcs & the number of PCs to use to calculate R2
\end{tabular}

\section*{Value}

A vector with \(R 2\) values

\section*{Author(s)}

Henning Redestig

\section*{Examples}

R2VX(pca(iris))
rediduals-methods Residuals values from a PCA model.

\section*{Description}

This function extracts the residuals values from a pcaRes object for the PCA methods SVD, Nipals, PPCA and BPCA

\section*{Usage}
```


## S3 method for class 'pcaRes'

residuals(object, data = completeObs(object), ...)
\#\# S4 method for signature 'pcaRes'
residuals(object, data = completeObs(object), ...)
\#\# S4 method for signature 'pcaRes'
resid(object, data = completeObs(object), ...)

```

\section*{Arguments}
\[
\begin{array}{ll}
\begin{array}{l}
\text { object } \\
\text { data }
\end{array} & \begin{array}{l}
\text { pcaRes the pcaRes object of interest. } \\
\text { matrix The data that was used to calculate the PCA model (or a different dataset } \\
\text { to e.g. adress its proximity to the model). }
\end{array} \\
\ldots & \text { Passed on to predict. pcaRes. E.g. setting the number of used components. }
\end{array}
\]

\section*{Value}

A matrix with the residuals

\section*{Author(s)}

Henning Redestig

\section*{Examples}
```

data(iris)
pcIr <- pca(iris[,1:4])
head(residuals(pcIr, iris[,1:4]))

```
```

repmat Replicate and tile an array.

```

\section*{Description}

Creates a large matrix B consisting of an M-by-N tiling of copies of A

\section*{Usage}
repmat(mat, M, N)

\section*{Arguments}
mat numeric matrix
M number of copies in vertical direction
N number of copies in horizontal direction

\section*{Value}

Matrix consiting of M-by-N tiling copies of input matrix

\section*{Author(s)}

Wolfram Stacklies
```

RnipalsPca NIPALS PCA implemented in R

```

\section*{Description}

PCA by non-linear iterative partial least squares

\section*{Usage}

RnipalsPca(Matrix, nPcs \(=2\), varLimit \(=1\), maxSteps \(=5000\), threshold \(=1 \mathrm{e}-06\), verbose \(=\) interactive(), ...)

\section*{Arguments}

Matrix Pre-processed (centered, scaled) numerical matrix samples in rows and variables as columns.
nPcs Number of components that should be extracted.
varLimit Optionally the ratio of variance that should be explained. nPcs is ignored if varLimit < 1
maxSteps Defines how many iterations can be done before algorithm should abort (happens almost exclusively when there were some wrong in the input data).
threshold The limit condition for judging if the algorithm has converged or not, specifically if a new iteration is done if \(\left(T_{\text {old }}-T\right)^{T}\left(T_{\text {old }}-T\right)>\) limit.
verbose Show simple progress information.
... Only used for passing through arguments.

\section*{Details}

Can be used for computing PCA on a numeric matrix using either the NIPALS algorithm which is an iterative approach for estimating the principal components extracting them one at a time. NIPALS can handle a small amount of missing values. It is not recommended to use this function directely but rather to use the pca() wrapper function. There is a \(\mathrm{C}++\) implementation given as nipalsPca which is faster.

\section*{Value}

A pcaRes object.

\section*{Author(s)}

Henning Redestig

\section*{References}

Wold, H. (1966) Estimation of principal components and related models by iterative least squares. In Multivariate Analysis (Ed., P.R. Krishnaiah), Academic Press, NY, 391-420.

\section*{See Also}
prcomp, princomp, pca

\section*{Examples}
```

data(metaboliteData)
mat <- prep(t(metaboliteData))

## c++ version is faster

system.time(pc <- RnipalsPca(mat, method="rnipals", nPcs=2))
system.time(pc <- nipalsPca(mat, nPcs=2))

## better use pca()

pc <- pca(t(metaboliteData), method="rnipals", nPcs=2)

```
```

robustPca PCA implementation based on robustSvd

```

\section*{Description}

This is a PCA implementation robust to outliers in a data set. It can also handle missing values, it is however NOT intended to be used for missing value estimation. As it is based on robustSVD we will get an accurate estimation for the loadings also for incomplete data or for data with outliers. The returned scores are, however, affected by the outliers as they are calculated inputData X loadings. This also implies that you should look at the returned R2/R2cum values with caution. If the data show missing values, scores are caluclated by just setting all NA - values to zero. This is not expected to produce accurate results. Please have also a look at the manual page for robustSvd. Thus this method should mainly be seen as an attempt to integrate robustSvd () into the framework of this package. Use one of the other methods coming with this package (like PPCA or BPCA) if you want to do missing value estimation. It is not recommended to use this function directely but rather to use the pca() wrapper function.

\section*{Usage}
robustPca(Matrix, \(n P c s=2\), verbose \(=\) interactive(), ...)

\section*{Arguments}

Matrix matrix - Data containing the variables in columns and observations in rows. The data may contain missing values, denoted as NA.
nPcs numeric - Number of components to estimate. The preciseness of the missing value estimation depends on the number of components, which should resemble the internal structure of the data.
verbose boolean Print some output to the command line if TRUE
... Reserved for future use. Currently no further parameters are used

\section*{Details}

The method is very similar to the standard prcomp() function. The main difference is that robustSvd() is used instead of the conventional \(\operatorname{svd}()\) method.

\section*{Value}

Standard PCA result object used by all PCA-based methods of this package. Contains scores, loadings, data mean and more. See pcaRes for details. are used.

\section*{Author(s)}

Wolfram Stacklies

\section*{See Also}
robustSvd, svd, prcomp,pcaRes.

\section*{Examples}
```


## Load a complete sample metabolite data set and mean center the data

data(metaboliteDataComplete)
mdc <- scale(metaboliteDataComplete, center=TRUE, scale=FALSE)

## Now create 5\% of outliers.

cond <- runif(length(mdc)) < 0.05;
mdcOut <- mdc
mdcOut[cond] <- 10

## Now we do a conventional PCA and robustPca on the original and the data

## with outliers.

## We use center=FALSE here because the large artificial outliers would

## affect the means and not allow to objectively compare the results.

resSvd <- pca(mdc, method="svd", nPcs=10, center=FALSE)
resSvdOut <- pca(mdcOut, method="svd", nPcs=10, center=FALSE)
resRobPca <- pca(mdcOut, method="robustPca", nPcs=10, center=FALSE)

## Now we plot the results for the original data against those with outliers

## We can see that robustPca is hardly effected by the outliers.

plot(loadings(resSvd)[,1], loadings(resSvdOut)[,1])
plot(loadings(resSvd)[,1], loadings(resRobPca)[,1])

```

\section*{Description}

A robust approximation to the singular value decomposition of a rectangular matrix is computed using an alternating L1 norm (instead of the more usual least squares L2 norm). As the SVD is a least-squares procedure, it is highly susceptible to outliers and in the extreme case, an individual cell (if sufficiently outlying) can draw even the leading principal component toward itself.

\section*{Usage}
robustSvd(x)

\section*{Arguments}
\(x \quad\) A matrix whose SVD decomposition is to be computed. Missing values are allowed.

\section*{Details}

See Hawkins et al (2001) for details on the robust SVD algorithm. Briefly, the idea is to sequentially estimate the left and right eigenvectors using an L1 (absolute value) norm minimization.
Note that the robust SVD is able to accomodate missing values in the matrix \(x\), unlike the usual svd function.

Also note that the eigenvectors returned by the robust SVD algorithm are NOT (in general) orthogonal and the eigenvalues need not be descending in order.

\section*{Value}

The robust SVD of the matrix is \(x=u d v^{\prime}\).
d A vector containing the singular values of \(x\).
\(u \quad\) A matrix whose columns are the left singular vectors of \(x\).
\(v \quad\) A matrix whose columns are the right singular vectors of \(x\).

\section*{Note}

Two differences from the usual SVD may be noted. One relates to orthogonality. In the conventional SVD, all the eigenvectors are orthogonal even if not explicitly imposed. Those returned by the AL1 algorithm (used here) are (in general) not orthogonal. Another difference is that, in the L2 analysis of the conventional SVD, the successive eigen triples (eigenvalue, left eigenvector, right eigenvector) are found in descending order of eigenvalue. This is not necessarily the case with the AL1 algorithm. Hawkins et al (2001) note that a larger eigen value may follow a smaller one.

\section*{Author(s)}

Kevin Wright, modifications by Wolfram Stacklies

\section*{References}

Hawkins, Douglas M, Li Liu, and S Stanley Young (2001) Robust Singular Value Decomposition, National Institute of Statistical Sciences, Technical Report Number 122. http://www.niss.org/ technicalreports/tr122.pdf

\section*{See Also}
svd, nipals for an alternating L2 norm method that also accommodates missing data.

\section*{Examples}
```


## Load a complete sample metabolite data set and mean center the data

data(metaboliteDataComplete)
mdc <- prep(metaboliteDataComplete, center=TRUE, scale="none")

## Now create 5% of outliers.

cond <- runif(length(mdc)) < 0.05;
mdcOut <- mdc
mdcOut[cond] <- 10

## Now we do a conventional SVD and a robustSvd on both, the original and the

## data with outliers.

resSvd <- svd(mdc)
resSvdOut <- svd(mdcOut)
resRobSvd <- robustSvd(mdc)
resRobSvdOut <- robustSvd(mdcOut)

## Now we plot the results for the original data against those with outliers

## We can see that robustSvd is hardly affected by the outliers.

plot(resSvd$v[,1], resSvdOut$v[,1])
plot(resRobSvd$v[,1], resRobSvdOut$v[,1])

```
scaled, pcaRes-method Check if scaling was part of the PCA model

\section*{Description}

Check if scaling was part of the PCA model

\section*{Usage}
scaled(object, ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & pcaRes object \\
\(\ldots\) & Not used
\end{tabular}

\section*{Value}

TRUE if scaling was part of the PCA model

\section*{Author(s)}

Henning Redestig
scl,pcaRes-method Get the scales (e.g. standard deviations) of the original variables

\section*{Description}

Get the scales (e.g. standard deviations) of the original variables

\section*{Usage}
scl(object, ...)

\section*{Arguments}
object pcaRes object
... Not used

\section*{Value}

Vector with the scales

\section*{Author(s)}

Henning Redestig

\section*{See Also}
prep
```

scores, pcaRes-method Get scores from a pcaRes object

```

\section*{Description}

Get scores from a pcaRes object

\section*{Usage}
```


## S4 method for signature 'pcaRes'

```
scores(object, ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & a pcaRes object \\
\(\ldots\) & not used
\end{tabular}

\section*{Value}

The scores as a matrix

\section*{Author(s)}

Henning Redestig

\section*{See Also}
scores.pcaRes
```

scores.pcaRes Get scores from a pcaRes object

```

\section*{Description}

Get scores from a pcaRes object

\section*{Usage}
```


## S3 method for class 'pcaRes'

scores(object, ...)

```

\section*{Arguments}
\begin{tabular}{ll} 
object & a pcaRes object \\
\(\ldots\). & not used
\end{tabular}

Value
The scores as a matrix

\section*{Author(s)}

Henning Redestig
sDev, pcaRes-method Get the standard deviations of the scores (indicates their relevance)

\section*{Description}

Get the standard deviations of the scores (indicates their relevance)

\section*{Usage}
sDev(object, ...)

\section*{Arguments}
\begin{tabular}{ll} 
object & pcaRes object \\
\(\ldots\) & Not used
\end{tabular}

\section*{Value}

Standard devations of the scores

\section*{Author(s)}

Henning Redestig
show-methods Print/Show for pcaRes

\section*{Description}

Print basic information about pcaRes object

\section*{Usage}
showPcaRes (x, ...)
\#\# S4 method for signature 'pcaRes'
print(x, ...)
\#\# S4 method for signature 'pcaRes'
show(object)

\section*{Arguments}
x
...
a pcaRes object
.. not used
object the object to print information about

\section*{Value}
nothing, used for its side effect

\section*{Author(s)}

Henning Redestig
showNniRes Print a nniRes model

\section*{Description}

Print a brief description of nniRes model

\section*{Usage}
showNniRes(x, ...)

\section*{Arguments}
x
An nniRes object
... Not used

\section*{Value}

Nothing, used for side-effect

\section*{Author(s)}

Henning Redestig
\begin{tabular}{l} 
simpleEllipse \(\quad\) Hotelling's \(T^{\wedge} 2\) Ellipse \\
\hline
\end{tabular}

\section*{Description}

Get a confidence ellipse for uncorrelated bivariate data

\section*{Usage}
simpleEllipse(x, y, alfa \(=0.95\), len \(=200\) )

\section*{Arguments}
\begin{tabular}{ll}
\(x\) & first variable \\
\(y\) & second variable \\
alfa & confidence level of the circle \\
len & Number of points in the circle
\end{tabular}

\section*{Details}

As described in 'Introduction to multi and megavariate data analysis using PCA and PLS' by Eriksson et al. This produces very similar ellipse as compared to the ellipse function the ellipse package except that this function assumes that and \(y\) are uncorrelated (which they of are if they are scores or loadings from a PCA).

\section*{Value}

A matrix with X and Y coordinates for the circle

\section*{Author(s)}

Henning Redestig

\section*{See Also}
ellipse
slplot, pcaRes-method Side by side scores and loadings plot

\section*{Description}

A common way of visualizing two principal components

\section*{Usage}
slplot(object, pcs=c(1,2), scoresLoadings=c(TRUE, TRUE),
sl="def", ll="def", hotelling=0.95, rug=TRUE, sub=NULL,...)

\section*{Arguments}
object
a pcaRes object
pcs which two pes to plot
scoresLoadings Which should be shown scores and or loadings
sl labels to plot in the scores plot
\(11 \quad\) labels to plot in the loadings plot
hotelling confidence interval for ellipse in the score plot
\[
\begin{array}{ll}
\text { rug } & \text { logical, rug } x \text { axis in score plot or not } \\
\text { sub } & \text { Subtitle, defaults to annotate with amount of explained variance. } \\
\ldots & \begin{array}{l}
\text { Further arguments to plot functions. Prefix arguments to par() with 's' for } \\
\text { the scores plot and 'l' for the loadings plot. I.e. cex become scex for setting } \\
\text { character expansion in the score plot and lcex for the loadings plot. }
\end{array}
\end{array}
\]

\section*{Details}

This method is meant to be used as a quick way to visualize results, if you want a more specific plot you probably want to get the scores, loadings with scores(object), loadings(object) and then design your own plotting method.

\section*{Value}

None, used for side effect.

\section*{Note}

Uses layout instead of par to provide side-by-side so it works with Sweave (but can not be combined with \(\operatorname{par}(m f r o w=.\).\() )\)

\section*{Author(s)}

Henning Redestig

\section*{See Also}
pca, biplot

\section*{Examples}
```

data(iris)
pcIr <- pca(iris[,1:4], scale="uv")
slplot(pcIr, sl=NULL, spch=5)
slplot(pcIr, sl=NULL, lcex=1.3, scol=as.integer(iris[,5]))

```
```

sortFeatures

```

\section*{Description}

Sort the features of NLPCA object

\section*{Usage}
sortFeatures(nlnet, trainIn, trainOut)

\section*{Arguments}
\begin{tabular}{ll} 
nlnet & The nlnet \\
trainIn & Training data in \\
trainOut & Training data after it passed through the net
\end{tabular}

\section*{Value}

\section*{Author(s)}

Henning Redestig
summary \(\quad\) Summary of PCA model

\section*{Description}

Print a brief description of the PCA model

\section*{Usage}
\#\# S3 method for class 'pcaRes'
summary (object, ...)

\section*{Arguments}
object
a pcaRes object
. . .
Not used

Value
Nothing, used for side-effect

\section*{Author(s)}

Henning Redestig

\section*{Description}

This implements the SVDimpute algorithm as proposed by Troyanskaya et al, 2001. The idea behind the algorithm is to estimate the missing values as a linear combination of the k most significant eigengenes.

\section*{Usage}
svdImpute(Matrix, nPcs \(=2\), threshold \(=0.01\), maxSteps \(=100\), verbose \(=\) interactive(), ...)

\section*{Arguments}

Matrix matrix - Pre-processed (centered, scaled) data with variables in columns and observations in rows. The data may contain missing values, denoted as NA.
nPcs numeric - Number of components to estimate. The preciseness of the missing value estimation depends on the number of components, which should resemble the internal structure of the data.
threshold The iteration stops if the change in the matrix falls below this threshold.
maxSteps Maximum number of iteration steps.
verbose Print some output if TRUE.
... Reserved for parameters used in future version of the algorithm

\section*{Details}

Missing values are denoted as NA. It is not recommended to use this function directely but rather to use the pca() wrapper function.

As SVD can only be performed on complete matrices, all missing values are initially replaced by 0 (what is in fact the mean on centred data). The algorithm works iteratively until the change in the estimated solution falls below a certain threshold. Each step the eigengenes of the current estimate are calculated and used to determine a new estimate. Eigengenes denote the loadings if pca is performed considering variable (for Microarray data genes) as observations.

An optimal linear combination is found by regressing the incomplete variable against the k most significant eigengenes. If the value at position \(j\) is missing, the \(j^{t} h\) value of the eigengenes is not used when determining the regression coefficients.

\section*{Value}

Standard PCA result object used by all PCA-based methods of this package. Contains scores, loadings, data mean and more. See pcaRes for details.

\section*{Note}

Each iteration, standard PCA (prcomp) needs to be done for each incomplete variable to get the eigengenes. This is usually fast for small data sets, but complexity may rise if the data sets become very large.

\section*{Author(s)}

Wolfram Stacklies

\section*{References}

Troyanskaya O. and Cantor M. and Sherlock G. and Brown P. and Hastie T. and Tibshirani R. and Botstein D. and Altman RB. - Missing value estimation methods for DNA microarrays. Bioinformatics. 2001 Jun;17(6):520-5.

\section*{Examples}
```


## Load a sample metabolite dataset with 5\% missing values

data(metaboliteData)

## Perform svdImpute using the 3 largest components

result <- pca(metaboliteData, method="svdImpute", nPcs=3, center = TRUE)

## Get the estimated complete observations

cObs <- completeObs(result)

## Now plot the scores

plotPcs(result, type = "scores")

```

\section*{svdPca \\ Perform principal component analysis using singular value decompo-} sition

\section*{Description}

A wrapper function for prcomp to deliver the result as a pcaRes method. Supplied for compatibility with the rest of the pcaMethods package. It is not recommended to use this function directely but rather to use the pca() wrapper function.

\section*{Usage}
svdPca(Matrix, nPcs = 2, varLimit = 1, verbose = interactive(), ...)

\section*{Arguments}

Matrix Pre-processed (centered and possibly scaled) numerical matrix samples in rows and variables as columns. No missing values allowed.
nPcs Number of components that should be extracted.
varLimit Optionally the ratio of variance that should be explained. nPcs is ignored if varLimit < 1
verbose Verbose complaints to matrix structure
... Only used for passing through arguments.

\section*{Value}

A pcaRes object.

\section*{Author(s)}

Henning Redestig

\section*{See Also}
prcomp, princomp, pca

\section*{Examples}
```

data(metaboliteDataComplete)
mat <- prep(t(metaboliteDataComplete))
pc <- svdPca(mat, nPcs=2)

## better use pca()

pc <- pca(t(metaboliteDataComplete), method="svd", nPcs=2)

```

\section*{Description}

Simply replace completely missing rows or cols with zeroes.

\section*{Usage}
tempFixNas(mat)

\section*{Arguments}
mat a matrix

\section*{Value}

The original matrix with completely missing rows/cols filled with zeroes.

\section*{Author(s)}

Henning Redestig
vector2matrices, matrix-method
Tranform the vectors of weights to matrix structure

\section*{Description}

Tranform the vectors of weights to matrix structure

\section*{Usage}
\#\# S4 method for signature 'matrix'
vector2matrices(object, net)

\section*{Arguments}
object an nlpcaNet
net the neural network

\section*{Value}
weights in matrix structure

\section*{Author(s)}

Henning Redestig
vector2matrices,nlpcaNet-method
Tranform the vectors of weights to matrix structure

\section*{Description}

Tranform the vectors of weights to matrix structure

\section*{Usage}
\#\# S4 method for signature 'nlpcaNet'
vector2matrices(object)

\section*{Arguments}
object an nlpcaNet

\section*{Value}
weights in matrix structure

\section*{Author(s)}

\section*{Henning Redestig}
wasna, pcaRes-method Get a matrix with indicating the elements that were missing in the input data. Convenient for estimating imputation performance.

\section*{Description}

Get a matrix with indicating the elements that were missing in the input data. Convenient for estimating imputation performance.

\section*{Usage}
wasna(object, ...)

\section*{Arguments}
\[
\begin{array}{ll}
\text { object } & \text { pcaRes object } \\
\ldots & \text { Not used }
\end{array}
\]

\section*{Value}

A matrix with logicals

\section*{Author(s)}

Henning Redestig

\section*{Examples}
```

data(metaboliteData)
data(metaboliteDataComplete)
result <- pca(metaboliteData, nPcs=2)
plot(completeObs(result)[wasna(result)], metaboliteDataComplete[wasna(result)])

```
\begin{tabular}{ll} 
weightsAccount & \begin{tabular}{l} 
Create an object that holds the weights for nlpcaNet. Holds and sets \\
weights in using an environment object.
\end{tabular}
\end{tabular}

\section*{Description}

Create an object that holds the weights for nlpcaNet. Holds and sets weights in using an environment object.

\section*{Usage}
weightsAccount(w)

\section*{Arguments}
w matrix - New weights

\section*{Value}

A weightsAccound with set and current functions.

\section*{Author(s)}

Henning Redestig

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